Corrigendum to: A note on nearly platonic graphs

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In the paper [Australas. J. Combin. 70 (2018), 86–103] by us, we assumed for our main theorems that the boundary of the exceptional face was a cycle. This is always satisfied for 2-connected graphs, for which our theorems thus hold, but in a 1-connected graph the exceptional face may be bounded by a walk containing cut-vertices. The main theorems should be have been stated as follows:

Theorem 1. There is no finite, planar, regular, 2-connected graph that has all but one face of one degree and a single face of a different degree.

Theorem 6. There are no 2-connected nearly platonic graphs with one disparate face.

In the case of 1-connected graphs, additional case-by-case arguments must be made concerning non-disparate faces adjacent to cut-vertices. The arguments are similar and not significantly deeper. An article that settles the nearly platonic 1-connected graphs is being prepared.

(Received 30 June 2018)